L6258

## PWM CONTROLLED - HIGH CURRENT DMOS UNIVERSAL MOTOR DRIVER

- ABLE TO DRIVE BOTH WINDINGS OF A BIPOLAR STEPPER MOTOR OR TWO DC MOTORS
- OUTPUT CURRENT UP TO 1.2A EACH WINDING
- WIDE VOLTAGE RANGE: 12 V TO 34 V
- FOUR QUADRANT CURRENT CONTROL, IDEAL FOR MICROSTEPPING AND DC MOTOR CONTROL
- PRECISION PWM CONTROL
- NO NEED FOR RECIRCULATION DIODES
- TTL/CMOS COMPATIBLE INPUTS
- CROSS CONDUCTION PROTECTION
- THERMAL SHUTDOWN


## DESCRIPTION

L6258 is a dual full bridge for motor control applications realized in BCD technology, with the capability of driving both windings of a bipolar stepper motor or bidirectionally control two DC motors.
L6258 and a few external components form a

complete control and drive circuit. It has high efficiency phase shift chopping that allows a very low current ripple at the lowest current control levels, and makes this device ideal for steppers as well as for DC motors.
The power stage is a dual DMOS full bridge capable of sustaining up to 34 V , and includes the diodes for current recirculation.
The output current capability is 1.2 A per winding in continuous mode, with peak start-up current up to 1.5A.
A thermal protection circuitry disables the outputs if the chip temperature exceeds the safe limits.

## BLOCK DIAGRAM



ABSOLUTE MAXIMUM RATINGS

| Symbol | Parameter | Value | Unit |
| :---: | :--- | :---: | :---: |
| $\mathrm{Vs}_{\mathrm{s}}$ | Supply Voltage | 36 | V |
| $\mathrm{~V}_{\mathrm{CC}}$ | Logic Supply Voltage | 7 | V |
| $\mathrm{~V}_{\text {ref1 }} / \mathrm{V}_{\text {ref2 }}$ | Reference Voltage | 2.5 | V |
| $\mathrm{I}_{\mathrm{O}}$ | Output Current (peak) | 1.5 | A |
| $\mathrm{I}_{\mathrm{O}}$ | Output Current (continuous) | 1.2 | A |
| $\mathrm{~V}_{\text {in }}$ | Logic Input Voltage Range | -0.3 to 7 | V |
| $\mathrm{~V}_{\text {boot }}$ | Bootstrap Supply | 50 | V |
| $\mathrm{~V}_{\text {boot }}-\mathrm{V}_{\mathrm{s}}$ | Maximum Vgate applicable | 15 | V |
| $\mathrm{~T}_{\mathrm{j}}$ | Junction Temperature | 150 | ${ }^{\circ} \mathrm{C}$ |
| $\mathrm{T}_{\text {stg }}$ | Storage Temperature Range | -55 to 150 | ${ }^{\circ} \mathrm{C}$ |

PIN CONNECTION (Top view)


PIN FUNCTIONS

| Pin \# | Name | Description |
| :---: | :---: | :---: |
| 1,36 | PWR_GND | Ground connection (1). They also conduct heat from die to printed circuit copper. |
| 2, 17 | PH_1, PH_2 | These TTL compatible logic inputs set the direction of current flow through the load. A high level causes current to flow from OUTPUT A to OUTPUT B. |
| 3 | $\mathrm{I}_{1} 1$ | Logic input of the internal DAC (1). The output voltage of the DAC is a percentage of the Vref voltage applied according to the thruth table of page 7 |
| 4 | $\mathrm{I}_{0,1}$ | See pin 3 |
| 5 | OUT1A | Bridge output connection (1) |
| 6 | DISABLE | Disables the bridges for additional safety during switching. When not connected the bridges are enabled |
| 7 | TRI_cap | Triangular wave generation circuit capacitor. The value of this capacitor defines the output switching frequency |
| 8 | $\mathrm{V}_{\text {CC }}(5 \mathrm{~V})$ | Supply Voltage Input for logic circuitry |
| 9 | GND | Power Ground connection of the internal charge pump circuit |
| 10 | $\mathrm{V}_{\text {CP1 }}$ | Charge pump oscillator output |
| 11 | $\mathrm{V}_{\text {CP2 }}$ | Input for external charge pump capacitor |
| 12 | $\mathrm{V}_{\text {BOOT }}$ | Overvoltage input for driving of the upper DMOS |
| 13, 31 | $\mathrm{V}_{\mathrm{S}}$ | Supply voltage input for output stage. They are shorted internally |
| 14 | OUT2A | Bridge output connection (2) |
| 15 | $\mathrm{I}_{0} 2$ | Logic input of the internal DAC (2). The output voltage of the DAC is a percentage of the VRef voltage applied according to the truth table of page 7 |
| 16 | $\mathrm{I}_{12}$ | See pin 15 |
| 18, 19 | PWR_GND | Ground connection. They also conduct heat from die to printed circuit copper |
| 20,35 | SENSE2, SENSE1 | Negative input of the transconductance input amplifier (2, 1) |
| 21 | OUT2B | Bridge output connection and positive input of the tranconductance (2) |
| 22 | $\mathrm{I}_{3} 2$ | See pin 15 |
| 23 | $\mathrm{I}_{2} 2$ | See pin 15 |
| 24 | EA_OUT_2 | Error amplifier output (2) |
| 25 | EA_IN_2 | Negative input of error amplifier (2) |
| 26, 28 | $\mathrm{V}_{\text {REF2, }}$, $\mathrm{V}_{\text {REF1 }}$ | Reference voltages for the internal DACs, determining the output current value. Output current also depends on the logic inputs of the DAC and on the sensing resistor value |
| 27 | SIG_GND | Signal ground connection |
| 29 | EA_IN_1 | Negative input of error amplifier (1) |
| 30 | EA_OUT_1 | Error amplifier output (1) |
| 32 | $\mathrm{I}_{2} 1$ | See pin 3 |
| 33 | $\mathrm{I}_{3} 1$ | See pin 3 |
| 34 | OUT1B | Bridge output connection and positive input of the tranconductance (1) |

Note: The number in parenthesis shows the relevant Power Bridge of the circuit. Pins 18, 19, 1 and 36 are connected together.

## THERMAL DATA

| Symbol | Parameter | Value | Unit |
| :---: | :--- | :---: | :---: |
| $\mathrm{R}_{\text {th } \mathrm{h} \text {-amb }}$ | Thermal Resistance Junction Ambient | 20 | ${ }^{\circ} \mathrm{C} / \mathrm{W}$ |
| $\mathrm{R}_{\mathrm{th} j \text {-case }}$ | Thermal Resistance Junction-case ( ${ }^{*}$ ) | 2.2 | ${ }^{\circ} \mathrm{C} / \mathrm{W}$ |

(*) Depending on board and soldering.

## ELECTRICAL CHARACTERISTICS

(Vs $=34 \mathrm{~V} ; \mathrm{Vcc}=5 \mathrm{~V} ; \mathrm{T}_{\mathrm{j}}=25^{\circ}$; unless otherwise specified.)

| Symbol | Parameter | Test Condition | Min. | Typ. | Max. | Unit |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Vs | Supply Voltage |  | 12 |  | 34 | V |
| Vcc | Logic Supply Voltage |  | 4.75 |  | 5.25 | V |
| $\mathrm{V}_{\text {BOOT }}$ | Storage Voltage | $\mathrm{V}_{\mathrm{S}}=12$ to 32 V | $\mathrm{V}_{\mathrm{S}}+6$ |  | $\mathrm{V}_{\mathrm{S}+12}$ | V |
| Vsense | Max Drop Across Sense Resistor |  |  |  | 1.25 | V |
| Vs(off) | Power off Reset | Off Threshold | 6 |  | 7.2 | V |
| Vcc (off) | Power off Reset | Off Threshold | 3.3 |  | 4.1 | V |
| Is(on) | $V_{S}$ Quiescent Current | Both bridges ON, No Load |  |  | 15 | mA |
| Is(off) | $V_{S}$ Quiescent Current | Both bridges OFF |  |  | 7 | mA |
| ICC | $V_{\text {CC }}$ Operative Current |  |  |  | 15 | mA |
| $\Delta \mathrm{T}_{\text {SD-H }}$ | Shut Down Hysteresis |  |  | 25 |  | ${ }^{\circ} \mathrm{C}$ |
| TJ | Thermal Shutdown |  |  | 150 |  | ${ }^{\circ} \mathrm{C}$ |
| fosc | Triangular Oscillator Frequency (*) | $C_{\text {FREF }}=1 \mathrm{nF}$ | 12.5 | 15 | 17.5 | KHz |

TRANSISTORS

| IDSS | Leakage Current | OFF State |  |  | 500 | $\mu \mathrm{~A}$ |
| :---: | :--- | :--- | :--- | :---: | :---: | :---: |
| $\mathrm{R}_{\mathrm{ds}(\text { (on })}$ | On Resistance | ON State |  | 0.6 | 0.75 | $\Omega$ |
| $\mathrm{~V}_{\mathrm{f}}$ | Flywheel diode Voltage | If $=1.0 \mathrm{~A}$ |  | 1 | 1.4 | V |

CONTROL LOGIC

| $\mathrm{Vin}(\mathrm{H})$ | Input Voltage | All Inputs | 2 |  | $\mathrm{V}_{\mathrm{CC}}$ | V |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Vin}(\mathrm{L})$ | Input Voltage | All Inputs | 0 |  | 0.8 | V |
| lin | Input Current (Note 1) | $0<\mathrm{Vin}<5 \mathrm{~V}$ | -150 |  | +10 | $\mu \mathrm{A}$ |
| ldis | Disable Pin Input Current |  | -10 |  | +150 | $\mu \mathrm{A}$ |
| $\mathrm{V}_{\text {ref1/ref2 }}$ | Reference Voltage | operating | 0 |  | 2.5 | V |
| Iref | Vref Terminal Input Current | $\mathrm{V}_{\text {ref }}=1.25$ | -2 |  | 5 | $\mu \mathrm{A}$ |
| $\begin{gathered} \mathrm{FI}= \\ \mathrm{V} \text { ref } / \text { Vsense } \end{gathered}$ | PWM Loop Transfer Ratio |  |  | 1.94 |  |  |
| $\mathrm{V}_{\mathrm{FS}}$ | DAC Full Scale Precision | Vref $=2.5 \mathrm{~V} \mathrm{I}_{0} / \mathrm{I}_{1} / \mathrm{I}_{2} / \mathrm{l}_{3}=\mathrm{L}$ | 1.23 | 1.29 | 1.34 | V |
| $V_{\text {offset }}$ | Current Loop Offset | Vref $=2.5 \mathrm{~V} \mathrm{I}_{0} / \mathrm{I}_{1} / \mathrm{I}_{2} / \mathrm{I}_{3}=\mathrm{H}$ | -30 |  | +30 | mV |
|  | DAC Factor Ratio | Normalized @ Full scale Value | -2 |  | +2 | \% |

SENSE AMPLIFIER

| $\mathrm{V}_{\mathrm{cm}}$ | Input Common Mode Voltage <br> Range |  | -0.7 |  | $\mathrm{~V}_{\mathrm{s}+0.7}$ | V |
| :---: | :--- | :--- | :---: | :---: | :---: | :---: |
| linp | Input Bias | sense1/sense2 | -200 |  | 0 | $\mu \mathrm{~A}$ |
| ERROR AMPLIFIER |  |  | 70 | l |  |  |
| $\mathrm{G}_{\mathrm{v}}$ | Open Loop Voltage Gain |  |  | 0.2 | dB |  |
| SR | Output Slew Rate | Open Loop |  | 400 | Vs |  |
| GBW | Gain Bandwidth Product |  | kHz |  |  |  |

Note 1: This is true for all the logic inputs except the disable input.
(*) Chopping frequency is twice fosc value.

## FUNCTIONAL DESCRIPTION

The circuit is intended to drive both windings of a bipolar stepper motor or two DC motors.
The current control is generated through a switch mode regulation.
With this system the direction and the amplitude of the load current are depending on the relation of phase and duty cycle between the two outputs of the current control loop.
The L6258 power stage is composed by power DMOS in bridge configuration as it is shown in figure 1, where the bridge outputs OUT_A and OUT_B are driven to Vs with an high level at the inputs $\operatorname{IN}$ A and $\operatorname{IN}$ B while are driven to ground with a low level at the same inputs.
The zero current condition is obtained by driving the two half bridge using signals $\operatorname{IN} \_$A and $\operatorname{IN} \_B$ with the same phase and $50 \%$ of duty cycle.
In this case the outputs of the two half bridges are continuously switched between power supply (Vs) and ground, but keeping the differential voltage across the load equal to zero.
In figure 1A is shown the timing diagram of the two outputs and the load current for this working condition.
Following we consider positive the current flowing into the load with a direction from OUT_A to OUT_B, while we consider negative the current flowing into load with a direction from OUT_B to OUT_A.
Now just increasing the duty cycle of the IN_A signal and decreasing the duty cycle of $\mathbb{I N} \_B$ signal we drive positive current into the load.
In this way the two outputs are not in phase, and the current can flow into the load trough the diagonal bridge formed by T1 and T4 when the output OUT_A is driven to Vs and the output OUT_B is driven to ground, while there will be a current recirculation into the higher side of the bridge, through T 1 and T 2 , when both the outputs are at Vs and a current recirculation into the lower side of the bridge, through T3 and T4, when both the
outputs are connected to ground.
Since the voltage applied to the load for recirculation is low, the resulting current discharge time constant is higher than the current charging time constant during the period in which the current flows into the load through the diagonal bridge formed by T1 and T4. In this way the load current will be positive with an average amplitude depending on the difference in duty cycle of the two driving signals.
In figure 1 B is shown the timing diagram in the case of positive load current
On the contrary, if we want to drive negative current into the load is necessary to decrease the duty cycle of the IN_A signal and increase the duty cycle of the $\operatorname{IN} \_\overline{\mathrm{B}}$ signal. In this way we obtain a phase shift between the two outputs such to have current flowing into the diagonal bridge formed by T2 and T3 when the output OUT_A is driven to ground and output OUT_B is driven to Vs, while we will have the same current recirculation conditions of the previous case when both the outputs are driven to Vs or to ground.
So, in this case the load current will be negative with an average amplitude always depending by the difference in duty cycle of the two driving signals.
In figure 1 C is shown the timing diagram in the case of negative load current.

Figure 2 shows the device block diagram of the complete current control loop.

## Reference Voltage

The voltage applied to $\mathrm{V}_{\text {REF }}$ pin is the reference for the internal DAC and, together with the sense resistor value, defines the maximum current into the motor winding according to the following relation:

$$
I_{\text {MAX }}=\frac{0.5 \cdot V_{\text {REF }}}{R_{S}}=\frac{1}{F I} \cdot \frac{V_{\text {REF }}}{R_{S}}
$$

where $\mathrm{Rs}=$ sense resistor value

Figure 1. Power Bridge Configuration


Figure 2. Current Control Loop Block Diagram


Input Logic (10-11-I2-13)
The current level in the motor winding is selected according to this table:

| $\mathbf{1 3}$ | $\mathbf{1 2}$ | $\mathbf{1 1}$ | $\mathbf{1 0}$ | Current level <br> \% of l $_{\text {MAX }}$ |
| :---: | :---: | :---: | :---: | :---: |
| H | H | H | H | No Current |
| H | H | H | L | 9.5 |
| H | H | L | H | 19.1 |
| H | H | L | L | 28.6 |
| H | L | H | H | 38.1 |
| H | L | H | L | 47.6 |
| H | L | L | H | 55.6 |
| H | L | L | L | 63.5 |
| L | H | H | H | 71.4 |
| L | H | H | L | 77.8 |
| L | H | L | H | 82.5 |
| L | H | L | L | 88.9 |
| L | L | H | H | 92.1 |
| L | L | H | L | 95.2 |
| L | L | L | H | 98.4 |
| L | L | L | L | 100 |

## Phase Input ( PH )

The logic level applied to this input determines the direction of the current flowing in the winding of the motor.
High level on the phase input causes the motor current flowing from OUT_A to OUT_B through the load.

## Triangular Generator

This circuit generates the two triangular waves TRI_0 and TRI_180 internally used to generate the duty cycle variation of the signals driving the output stage in bridge configuration.
The frequency of the triangular wave defines the switching frequency of the output, and can be adjusted by changing the capacitor connected at TR1_CAP pin :

$$
F_{\text {ref }}=\frac{\mathrm{K}}{\mathrm{C}}
$$

where : $\mathrm{K}=1.5 \times 10^{-5}$

## Charge Pump Circuit

To ensure the correct driving of the high side drivers a voltage higher than Vs is supplied on the Vboot pin. This boostrap voltage is not needed for the low side power DMOS transistors because their sources terminals are grounded. To produce this voltage a charge pump method is used. It is made by using two external capacitors; one connected to the internal oscillator (CP) and the other (Cboot) to storage the overvoltage needed for the driving the gates of the high side DMOS. The value suggested for the capacitors are:

| $\mathrm{C}_{\text {boot }}$ | Storage <br> Capacitor | 100 | nF |
| :---: | :---: | :---: | :---: |
| $\mathrm{C}_{\mathrm{P}}$ | Pump <br> Capacitor | 10 | nF |

## Current Control LOOP

The current control loop is a transconductance amplifier working in PWM mode.
The motor current is a function of the programmed DAC voltage.
To keep under control the output current, the cur-
rent control modulates the duty cycle of the two outputs OUT_A and OUT_B, and a sensing resistor Rs is connected in series with the motor winding in order to produce a voltage feedback compared with the programmed voltage of the DAC .
The duty cycle modulation of the two outputs is generated comparing the voltage at the outputs of the error amplifier, with the two triangular wave references.
In order to drive the output bridge with the duty cycle modulation explained before, the signals driving each output ( OUTA \& OUTB) are generated by the use of the two comparators having as reference two triangular wave signals Tri_0 and Tri_180 of the same amplitude, the same average value (in our case Vr), but with a $180^{\circ}$ of phase shift each other.
The two triangular wave references are respectively applied to the inverting input of the first comparator and to the non inverting input of the second comparator .
The other two inputs of the comparators are connected together to the error amplifier output voltage resulting by the difference between the programmed DAC. The reset of the comparison between the mentioned signals is shown in fig. 3.

Figure 3. Output comparator waveforms
First Comp.
Output
Srror Ampl.
Output
Tri_180
Output

In the case of $V_{D A C}$ equal to zero, the transconductance loop is balanced at the value of Vr , so the outputs of the two comparators are signals having the same phase and $50 \%$ of duty cycle .
As we have already mentioned, in this saturation, the two outputs OUT_A and OUT_B are simultaneously driven from $\overline{\mathrm{Vs}}$ to ground ; and the differential voltage across the load in this case is zero and no current flows in the motor winding.
With a positive differential voltage on VDAC (see Fig 2, the transconductance loop will be positively unbalanced respected Vr .
In this case being the error amplifier output voltage greater than $V r$, the output of the first comparator is a square wave with a duty cycle higher than $50 \%$, while the output of the second comparator is a square wave with a duty cycle lower than 50\%.

The variation in duty cycle obtained at the outputs of the two comparators is the same, but one is positive and the other is negative with respect to the $50 \%$ level.
The two driving signals, generated in this case, drive the two outputs in such a way to have switched current flowing from OUT_A through the motor winding to OUT_B.
With a negative differential voltage VDAC, the transconductance loop will be negatively unbalanced respected Vr.
In this case the output of the first comparator is a square wave with a duty cycle lower than $50 \%$, while the output of the second comparator is a square wave with a duty cycle higher than $50 \%$.
The variation in the duty cycle obtained at the outputs of the two comparators is always of the same.
The two driving signals, generated in this case, drive the the two outputs in order to have the switched current flowing from OUT_B through the motor winding to OUT_A.

## Current Control Loop Compensation

In order to have a flexible system able to drive motors with different electrical characteristics, the non inverting input and the output of the error amplifier ( EA_OUT) are available.
Connecting at these pins an external RC compensation network it is possible to adjust the gain and the bandwidth of the current control loop.

## PWM CURRENT CONTROL LOOP

Open Loop Transfer Function Analysis
Block diagram : refer to Fig. 2.

Application data:

| $\mathrm{V}_{\mathrm{S}}=24 \mathrm{~V}$ | Gs transconductance gain =1/Rb |
| :--- | :--- |
| $\mathrm{L}_{\mathrm{L}}=12 \mathrm{mH}$ | Gin transconductance gain $=1 / \mathrm{Ra}$ |
| $\mathrm{R}_{\mathrm{L}}=12 \Omega$ | Ampl. of the Tria_0_180 ref. $=1.6 \mathrm{~V}$ <br> (peak to peak) |
| $\mathrm{R}_{\mathrm{S}}=0.33 \Omega$ | $\mathrm{R}_{\mathrm{a}}=40 \mathrm{~K} \Omega$ |
| $\mathrm{R}_{\mathrm{C}}=$ to be cal- <br> culated | $\mathrm{R}_{\mathrm{b}}=20 \mathrm{~K} \Omega$ |
| $\mathrm{C}_{\mathrm{C}}=$ to be cal- <br> culated | $\mathrm{Vr}=$ Internal reference equal to <br> $\mathrm{V}_{\mathrm{CC}} / 2$ (Typ. 2.5 V ) |

these data refer to a typical application, and will be used as an example during the analysis of the stability of the current control loop.
The block diagram shows the schematics of the L6258 internal current control loop working in PWM mode; the current into the load is a function of the input control voltage VDAC, and the relation between the two variables is given by the following formula:
$l_{\text {load }} \cdot R_{S} \cdot G_{S}=V_{D A C} \cdot G_{i n}$
$l_{\text {load }} \cdot R_{S} \cdot \frac{1}{R_{b}}=V_{D A C} \cdot \frac{1}{R_{a}}$
$l_{\text {load }}=V_{D A C} \cdot \frac{R_{b}}{R_{a} \cdot R_{S}}=0.5 \cdot \frac{V_{D A C}}{R_{S}}$
where:
VDAC $\quad$ is the control voltage defining the load current value
Gin is the gain of the input transconductance amplifier ( $1 / R_{a}$ )
$\mathrm{G}_{\mathrm{s}} \quad$ is the gain of the sense transconductance amplifier ( $1 / R_{b}$ )
Rs is the resistor connected in series to the output to sense the load current
In this configuration the input voltage is compared with the feedback voltage coming from the sense resistor, then the difference between this two signals is amplified by the error amplifier in order to have an error signal controlling the duty cycle of the output stage keeping the load current under control.
It is clear that to have a good performance of the current control loop, the error amplifier must have an high DC gain and a large bandwidth .
Gain and bandwidth must be chosen depending on many parameters of the application, like the characteristics of the load, power supply etc..., and most important is the stability of the system that must always be guaranteed.
To have a very flexible system and to have the possibility to adapt the system to any application, the error amplifier must be compensated using an

RC network connected between the output and the negative input of the same.
For the evaluation of the stability of the system, we have to consider the open loop gain of the current control loop:

$$
\text { Aloop }=\text { ACerr } \cdot \text { ACpw } \cdot \text { ACload } \cdot \text { ACsense }
$$

where $A C . .$. is the gain of the blocks that refers to the error, power and sense amplifier plus the attenuation of the load block.
The same formula in dB can be written in this way:

$$
\text { Aloop }_{\mathrm{dB}}=\text { ACerr }_{\mathrm{dB}}+\text { ACpw }_{\mathrm{dB}}+\text { ACload }_{\mathrm{dB}}+\text { ACsense }_{\mathrm{dB}}
$$

So now we can start to analyse the dynamic characteristics of each single block, with particular attention to the error amplifier.

## Power Amplifier

The power amplifier is not a linear amplifier, but is a circuit driving in PWM mode the output stage in full bridge configuration.
The output duty cycle variation is given by the comparison between the voltage of the error amplifier and two triangular wave references Tri_0 and Tri_180. Because all the current control loop is referred to the Vr reference, the result is that when the output voltage of the error amplifier is equal to the Vr voltage the two output Out_A and Out B have the same phase and duty cycle at $50 \%$; increasing the output voltage of the error amplifier above the Vr voltage, the duty cycle of the Out_A increases and the duty cycle of the Out_B decreases of the same percentage; on the contrary decreasing the voltage of the error amplifier below the Vr voltage, the duty cycle of the Out_A decreases and the duty cycle of the Out_B increases of the same percentage.
The gain of this block is defined by the amplitude of the two triangular wave references; more precisely the gain of the power amplifier block is a reversed proportion of the amplitude of the two references.
In fact a variation of the error amplifier output voltage produces a larger variation in duty cycle of the two outputs Out_A and Out_B in case of low amplitude of the two triangular wave references.
The duty cycle has the max value of $100 \%$ when the input voltage is equal to the amplitude of the two triangular references.
The transfer function of this block consist in the relation between the output duty cycle and the amplitude of the triangular references.

$$
V_{\text {out }}=2 \cdot V_{S} \cdot(0.5-\text { DutyCycle })
$$

$$
\begin{gathered}
\mathrm{ACpw}_{\mathrm{dB}}=20 \cdot \log \frac{\Delta \mathrm{~V}_{\text {out }}}{\Delta \mathrm{V}_{\text {in }}}=\frac{2 \cdot \mathrm{~V}_{\mathrm{S}}}{\text { Triangular Amplitude }} \\
\left.\mathrm{ACpw}\right|_{\mathrm{dB}}=20 \cdot \log \frac{2 \cdot 24}{1.6}=29.5 \mathrm{~dB}
\end{gathered}
$$

Moreover, having the two references Tri_0 and Tri_180 a triangular shape it is clear that the transfer function of this block is a linear constant gain without poles and zeros.

## Load Attenuation

The load block is composed by the equivalent circuit of the motor winding (resistance and inductance) plus the sense resistor.
We will considered the effect of the Bemf voltage of the motor in the next chapter.
The input of this block is the PWM voltage of the power amplifier and as output we have the voltage across the sense resistor produced by the current flowing into the motor winding. The relation between the two variable is :
$V_{\text {sense }}=\frac{V_{\text {out }}}{R_{L}+R_{S}} \cdot R_{S}$
so the gain of this block is:
ACload $=\frac{V_{\text {sense }}}{V_{\text {out }}}=\frac{R_{S}}{R_{L}+R_{S}}$

ACload $_{d B}=20 \cdot \log \frac{R_{S}}{R_{L}+R_{S}}$

ACload $_{d B}=20 \cdot \log \frac{0.33}{12+0.33}=-31.4 \mathrm{~dB}$
where:
$R_{L}=\quad$ equivalent resistance of the motor winding
$R_{S}=$ sense resistor
Because of the inductance of the motor LL, the load has a pole at the frequency :

$$
\begin{aligned}
& \text { Fpole }=\frac{1}{2 \pi \cdot \frac{L_{L}}{R_{L}+R_{S}}} \\
& \text { Fpole }=\frac{1}{6.28 \cdot \frac{12 \cdot 10^{-3}}{12+0.33}}=163 \mathrm{~Hz}
\end{aligned}
$$

Before analysing the error amplifier block and the sense transconductance block, we have to do this consideration:

Aloop ${ }_{d B}=A x_{d B}+B x_{d B}$
$\left.A x\right|_{d B}=\left.A C p w\right|_{d B}+$ ACload $\left.\right|_{d B}$
and
$\left.B x\right|_{d B}=A C e r r|d B+A C s e n s e|_{d B}$
this means that $\left.A x\right|_{d B}$ is the sum of the power amplifier and load blocks;
$A x \mid d B=(29,5)+(-31.4)=-1.9 d B$

The BODE analysis of the transfer function of $A x$ is:


The Bode plot of the $\left.A x\right|_{d B}$ function shows a DC gain of -1.9 dB and a pole at 163 Hz .
It is clear now that (because of the negative gain of the Ax function), Bx function must have an high DC gain in order to increment the total open loop gain increasing the bandwidth too.

## Error Amplifier and Sense Amplifier

As explained before the gain of these two blocks is:
$B x_{d B}=A$ Cerr $_{d B}+A C s e n s e ~_{d B}$

Being the voltage across the sense resistor the input of the Bx block and the error amplifier voltage the output of the same, the voltage gain is given by :
$\mathrm{ib}=$ Vsense $\cdot \mathrm{Gs}=$ Vsense $\cdot \frac{1}{\mathrm{Rb}}$
Verr_out $=-($ ic $\cdot \mathrm{Zc})$ so $\quad$ ic $=-\left(\right.$ Verr_out $\left.\cdot \frac{1}{\mathrm{Zc}}\right)$
because ib = ic we have:
Vsense $\cdot \frac{1}{R b}=-\left(\right.$ Verr_out $\cdot \frac{1}{\mathrm{Zc}}$ )
$B x=-\frac{\text { Verr_out }}{\text { Vsense }}=-\frac{\mathrm{Zc}}{\mathrm{Rb}}$
In the case of no external RC network is used to compensate the error amplifier, the typical open loop transfer function of the error plus the sense amplifier is something with a gain around 80dB and a unity gain bandwidth at 400 kHz . In this case the situation of the total transfer function Aloop, given by the sum of the $A x_{d B}$ and $B x_{d B}$ is :


The BODE diagram shows together the error amplifier open loop transfer function, the Ax function and the resultant total Aloop given by the following equation :
Aloop ${ }_{d B}=A x_{d B}+B x_{d B}$
The total Aloop has an high DC gain of 78.1 dB with a bandwidth of 15 KHz , but the problem in this case is the stability of the system; in fact the total Aloop cross the zero dB axis with a slope of $-40 \mathrm{~dB} /$ decade.
Now it is necessary to compensate the error amplifier in order to obtain a total Aloop with an high DC gain and a large bandwidth. Aloop must have enough phase margin to guarantee the stability of the system.
A method to reach the stability of the system, using the RC network showed in the block diagram, is to cancel the load pole with the zero given by the compensation of the error amplifier.
The transfer function of the Bx block with the compensation on the error amplifier is :
$B x=-\frac{Z c}{R b}=-\frac{R c-j \frac{1}{2 \pi \cdot f \cdot C c}}{R b}$
In this case the Bx block has a DC gain equal to the open loop and equal to zero at a frequency given by the following formula :

Fzero $=\frac{1}{2 \pi \cdot R c \cdot C c}$

In order to cancel the pole of the load, the zero of the Bx block must be located at the same frequency of 163 Hz ; so now we have to find a compromise between the resistor and the capacitor of the compensation network.
Considering that the resistor value defines the gain of the Bx block at the zero frequency, it is clear that this parameter will influence the total bandwidth of the system because, annulling the load pole with the error amplifier zero, the slope of the total transfer function is $-20 \mathrm{~dB} /$ decade.

So the resistor value must be chosen in order to have an error amplifier gain enough to guarantee a desired total bandwidth .
In our example we fix at 35 dB the gain of the Bx block at zero frequency, so from the formula:
$B x \_$gain @zero freq. $=20 \cdot \log \frac{R c}{R b}$ where: $R b=20 K \Omega$
we have : $\mathrm{Rc}=1.1 \mathrm{M} \Omega$
Therefore we have the zero with a 163 Hz the capacitor value :
$\mathrm{Cc}=\frac{1}{2 \pi \cdot \text { Fzero } \cdot \mathrm{Rc}}=\frac{1}{6.28 \cdot 163 \cdot 1.1 \cdot 10^{6}}=880 \mathrm{pF}$
Now we have to analyse how the new Aloop transfer function with a compensation network on the error amplifier is.
The following bode diagram shows :

- the Ax function showing the position of the load pole
- the open loop transfer function of the Bx block
- the transfer function of the Bx with the RC compensation network on the error amplifier
- the total Aloop transfer function that is the sum of the Ax function plus the transfer function of the compensated Bx block.


We can see that the effect of the load pole is cancelled by the zero of the Bx block ; the total Aloop cross a the 0 dB axis with a slope of $-20 \mathrm{~dB} / \mathrm{dec}$ ade, having in this way a stable system with an high gain at low frequency and a bandwidth of around 8 KHz .
To increase the bandwidth of the system, we should increase the gain of the Bx block, keeping the zero in the same position. In this way the result is a shift of the total Aloop transfer function up to a greater value.

## Effect of the Bemf of the stepper motor on the current control loop stability

In order to evaluate what is the effect of the Bemf voltage of the stepper motor we have to look at the load block :


The schematic now shows the equivalent circuit of the stepper motor including a sine wave voltage generator of the Bemf. The Bemf voltage of the motor is not constant, its value changes depending on the speed of the motor.
Increasing the motor speed the Bemf voltage increases:
Bemf $=\mathrm{Kt} \cdot \omega$
where:
Kt is the motor constant
$\omega$ is the motor speed in radiant per second

The formula defining the gain of the load considering the Bemf of the stepper motor becomes:

ACload $=\frac{\text { Vsense }}{\text { Vout }}=\frac{\left(V_{S}-\text { Bemf }\right) \cdot \frac{R_{S}}{R_{L}+R_{S}}}{V_{S}}$

ACload $=\frac{V_{S}-\text { Bemf }^{V_{S}}}{R_{L}+R_{S}}$

ACload $_{d B}=20 \cdot \log \left(\frac{V_{S}-B_{e m f}}{V_{S}} \cdot \frac{R_{S}}{R_{L}+R_{S}}\right)$
we can see that the Bemf influences only the gain of the load block and does not introduce any other additional pole or zero, so from the stability point of view the effect of the Bemf of the motor is not critical because the phase margin remains the same.
Practically the only effect of the Bemf is to limit the gain of the total Aloop with a consequent variation of the bandwidth of the system.

## APPLICATION INFORMATION

A typical application circuit is shown in Fig.4.
Note: For avoid current spikes on falling edge of DISABLE a "DC reaction" would be added to the ERROR Amplifier. (R1-R2 on Fig. 4).

## Interference

Due to the fact that the circuit operates with switch mode current regulation, to reduce the effect of the wiring inductance a good capacitor ( 100 nF ) can be placed on the board near the
package, between the power supply line (pin 13,31 ) and the power ground (pin 1,36,18,19) to absorb the small amount of inductive energy.
It should be noted that this capacitor is usually required in addition to an electrolytic capacitor, that has poor performance at the high frequencies, always located near the package, between power supply voltage (pin 13,31 ) and power ground (pin $1,36,18,19$ ), just to have a current recirculation path during the fast current decay or during the phase change.
The range value of this capacitor is between few $\mu \mathrm{F}$ and $100 \mu \mathrm{~F}$, and it must be chosen depending on application parameters like the motor inductance and load current amplitude.
A decoupling capacitor of 100 nF is suggested also between the logic supply and ground.
A non inductive resistor is the best way to implement the sensing. Whether this is not possible, some metal film resistor of the same value can be paralleled.
The two inputs for the sensing of the winding motor current (SENSE_A \& SENSE_B) should be connected directly on the sensing resistor Rs terminals, and the path lead between the Rs and the two sensing inputs should be as short as possible.

Figure 4: Typical Application Circuit.

## Motor Selection

Some stepper motor have such high core losses that they are not suitable for switch mode current regulation. Furthermore, some stepper motors are not designed for continuous operating at maximum current. Since the circuit can drive a constant current through the motor, its temperature might exceed, both at low and high speed operation.

## Unused Inputs

Unused inputs should be connected to the proper voltage levels in order to get the highest noise immunity.

## Notes on PCB Design

We recommend to observe the following layout rules to avoid application problems with ground and anomalous recirculation current.

The by-pass capacitors for the power and logic supply must be kept as near as possible to the IC.
It's important to separate on the PCB board the logic and power grounds and the internal charge pump circuit ground avoiding that ground traces of the logic signals cross the ground traces of the power signals.
Because the IC uses the board as a heat sink, the dissipating copper area must be sized in accordance with the required value of $R_{\text {thj-amb }}$.

## OPERATION MODE TIME DIAGRAMS

Figure 5: Full step operation mode timing diagram (Phase - DAC input and Motor Current)


Figure 6: Half step operation mode timing diagram (Phase - DAC input and Motor Current)


Figure 7: 4 bit microstep operation mode timing diagram (Phase - DAC input and Motor Current)


| DIM. | mm |  |  | inch |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | MIN. | TYP. | MAX. | MIN. | TYP. | MAX. |
| A |  |  | 3.60 |  |  | 0.141 |
| a1 | 0.10 |  | 0.30 | 0.004 |  | 0.012 |
| a2 |  |  | 3.30 |  |  | 0.130 |
| a3 | 0 |  | 0.10 | 0 |  | 0.004 |
| b | 0.22 |  | 0.38 | 0.008 |  | 0.015 |
| c | 0.23 |  | 0.32 | 0.009 |  | 0.012 |
| D (1) | 15.80 |  | 16.00 | 0.622 |  | 0.630 |
| D1 | 9.40 |  | 9.80 | 0.370 |  | 0.385 |
| E | 13.90 |  | 14.50 | 0.547 |  | 0.570 |
| e |  | 0.65 |  |  | 0.0256 |  |
| e3 |  | 11.05 |  |  | 0.435 |  |
| E1 (1) | 10.90 |  | 11.10 | 0.429 |  | 0.437 |
| E2 |  |  | 2.90 |  |  | 0.114 |
| E3 | 5.80 |  | 6.20 | 0.228 |  | 0.244 |
| E4 | 2.90 |  | 3.20 | 0.114 |  | 0.126 |
| G | 0 |  | 0.10 | 0 |  | 0.004 |
| H | 15.50 |  | 15.90 | 0.610 |  | 0.626 |
| h |  |  | 1.10 |  |  | 0.043 |
| L | 0.80 |  | 1.10 | 0.031 |  | 0.043 |
| N | $10^{\circ}($ max. $)$ |  |  |  |  |  |
| S | $8^{\circ}($ max. $)$ |  |  |  |  |  |


(1): "D" and "E1" do not include mold flash or protrusions

- Mold flash or protrusions shall not exceed 0.15 mm ( 0.006 inch) - Critical dimensions are "a3", "E" and "G"


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